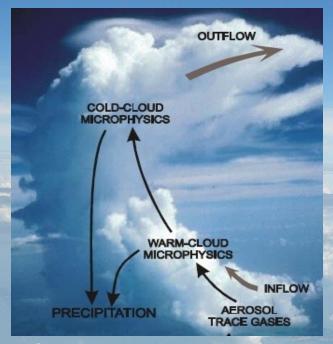
Cloud microphysical processes: A major challenge in global climate model in the perspective of Indian summer monsoon



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Why we need skillful ISMR prediction?

- ✓ One fifth of the world's population living in South Asia thrives on regular arrival of the summer monsoon.
- ✓ Agriculture, food production & economy critically depends on monsoon rain (Gadgil & Gadgil 2006).
- ✓ Deficient and excess monsoon have great impact on the economy and life in general.
- ✓ Skillful seasonal forecast has potential for high impact on agriculture and water resource management.
- ✓ Therefore, a reliable forecast of monsoon rainfall on the subseasonal (i.e., active-break cycle) to seasonal time scale (S2S) is important.

Climate model and prediction of ISMR

- ✓ Coupled global land-atmosphere-ocean model is essential for the simulation of ISM climate (Wang et al., 2005).
- ✓ A dry bias in simulating JJAS precipitation over monsoon region is a generic problem (Rajeevan and Nanjundiah, 2009) and limits the skill.

Hope: Skill of present generation model (Rajeevan et al., 2012) higher than the earlier generation (models (Krishnakumar et al., 2005) -> indicate that improvement of models lead to improvement of skill.

However, it remained a grand challenge. Even today all model skill is rather limited!!

Challenges in Simulating the mean of the Indian Monsoon and seasonal prediction:

- Conceptual basis for prediction skill beyond the limit of potential predictability
- **❖** Targeted improvement of Simulation and Prediction of the Indian monsoon

What is the role of cloud microphysics in Indian summer monsoon?

- ➤ Sikka & Gadgil (1980) investigated on the maximum cloud zone (MCZ) over Indian sub-continent during summer monsoon.
- ➤ Wang et al. (2015) showed the cloud regime evolution in the Indian summer monsoon intraseasonal oscillations (ISO peaks and troughs).
- Fig. The vertical structure of cloud hydrometeors (e.g. cloud water and ice) associated with ISM are important (*Rajeevan et al. 2013*; *Halder et al. 2012*).
- Cloud hydrometeors also have a large impact on the vertical profile of latent heating (Abhik et al. 2013; Kumar et al. 2014; Pokhrel et al., 2018).
- The interaction among thermodynamics, cloud microphysics and dynamics plays a crucial role on the summer monsoon precipitating clouds (*Hazra et al. 2013a,b; Kumar et al. 2014*).
- The hydrological and radiative fluxes strongly linked with cloud microphysical processes (Baker 1997).

Cloud microphysics

Cloud SAT: Cloud ice mixing ratio

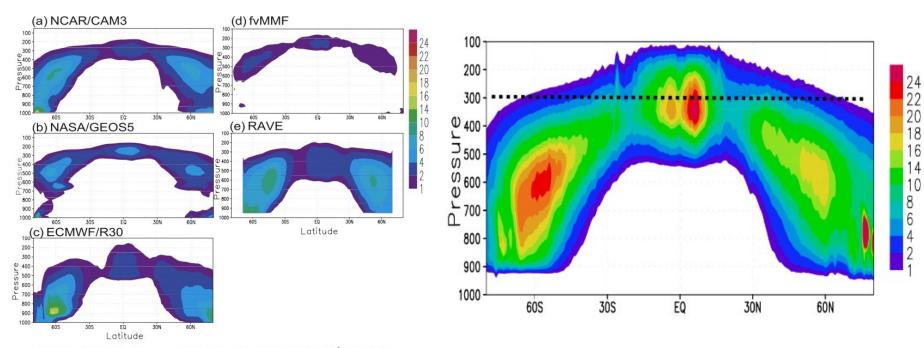
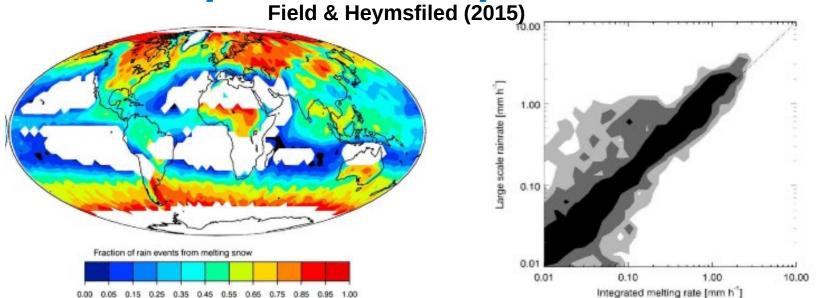


Figure 9. Annual and zonal mean values of cloud ice water content (IWC; mg m⁻³) from (a) NCAR CAM3 (1979–1999), (b) NASA GEOS5 (January 1999 to December 2002), (c) ECMWF R30 analysis (August 2005 to July 2006), (d) fvMMF (July 1998 and January 1999), and (e) RAVE GCM (1998).

all most all models have difficulty in reproducing the observed IWC

What is the role of microphysics & stratiform rain for ISM?

- ✓ Stratiform rain fraction plays a critical role in the organization of clouds and precipitation in MISOs [Kumar et al., 2017].
- ✓ Vertical profile of heating as a result of increased contribution of stratiform rain fraction leads to better northward propagation of the MISO [Chattopadhyay et al., 2009; Choudhury & Krishnan, 2011].
- ✓ Most climate models tend to produce too much convective precipitation and too little stratiform precipitation [Sabeerali et al., 2013; Saha, S. K. et al., 2014; Hazra et al., 2015] as compared to the observations [Pokhrel and Sikka 2013].



Lack of organization of clouds and precipitation on MISO scale in model simulations is one of the major deficiencies in simulating the observed MISOs by climate models.

Hypothesis

A Model with high fidelity simulations of the MISOs will have high skill of Seasonal prediction of ISM.

Therefore: Target improving the biases in simulating the MISO in models. Potential double benefits:

- ✓ It would reduce biases in mean simulation
- **✓ Improve skill of Seasonal Prediction**

Improve simulation of MISO —> Improve Mean ISM as well as skill of Seasonal Prediction

Strategy

- Select a Prediction system involving A CGCM and make systematic improvement of physical processes on THAT CGCM (one aspect).
- The improvements on the CGCM will be targeted to improve the deficiency (bias) of the model in simulating Indian monsoon.

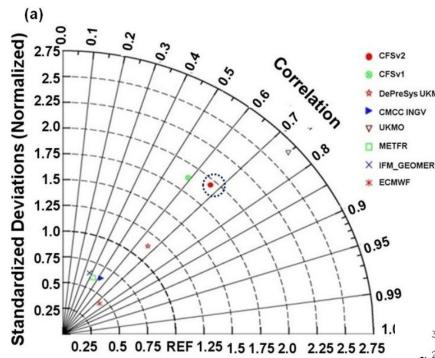
Under Monsoon Mission, We selected CFSv.2 as the base model for development and use in prediction of Indian Monsoon.

Why NCEP coupled forecast system (CFSv2) for Indian summer monsoon?

Major Biases of CFSv2

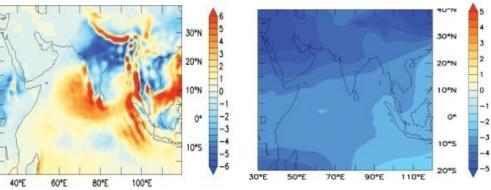
❖ Surface rainfall: Dry bias

Tropospheric Temperature (TT): Cold bias

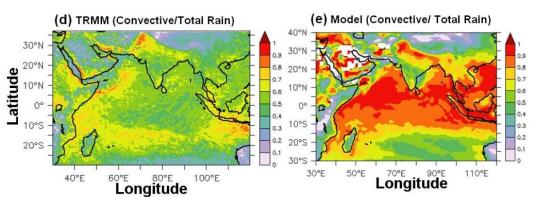


(a) Taylor plot showing the skill of models in simulating mean seasonal cycle over Indian land points.

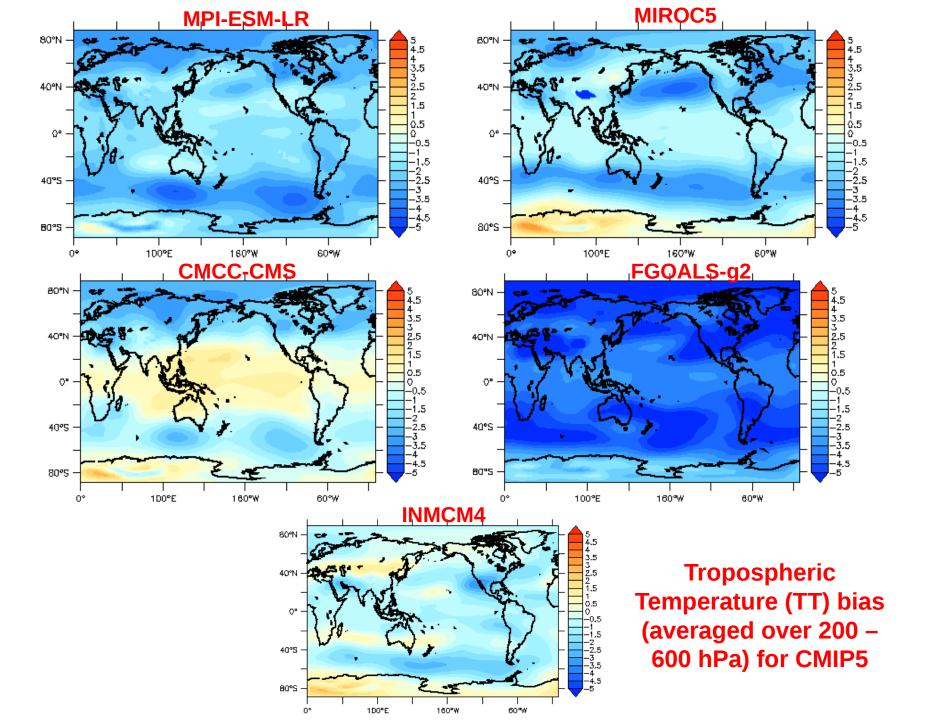
Model minus Observation



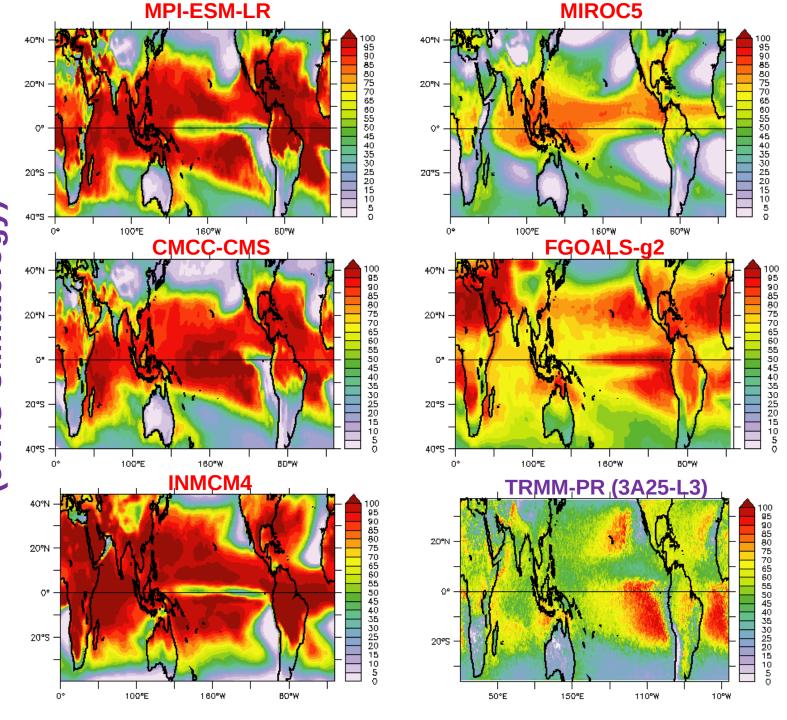
Bifurcation of convective and stratiform rain



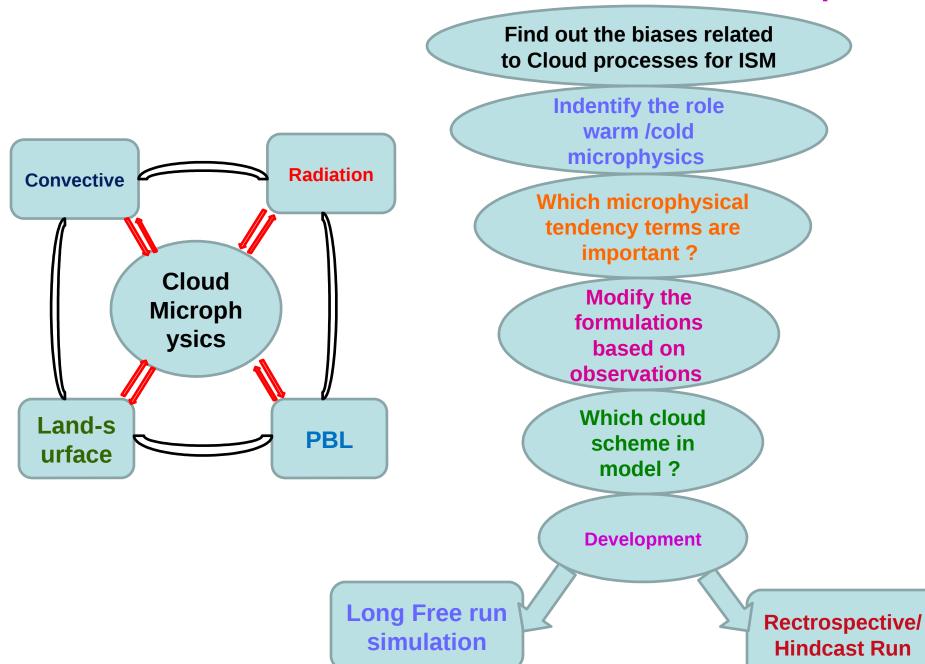
Saha et al. 2014



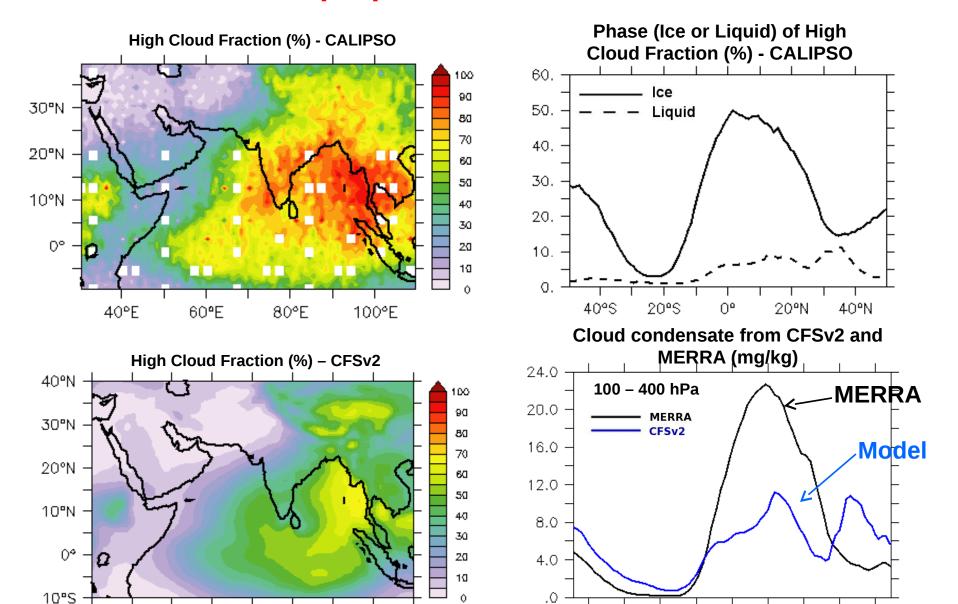
Convective/Total Precipitation (JJAS Climatology)



Flow chart of Model Development



Cloud properties in NCEP CFSv2



Hazra et al., 2015a

40°S

20°S

0°

20°N

40°N

30°E

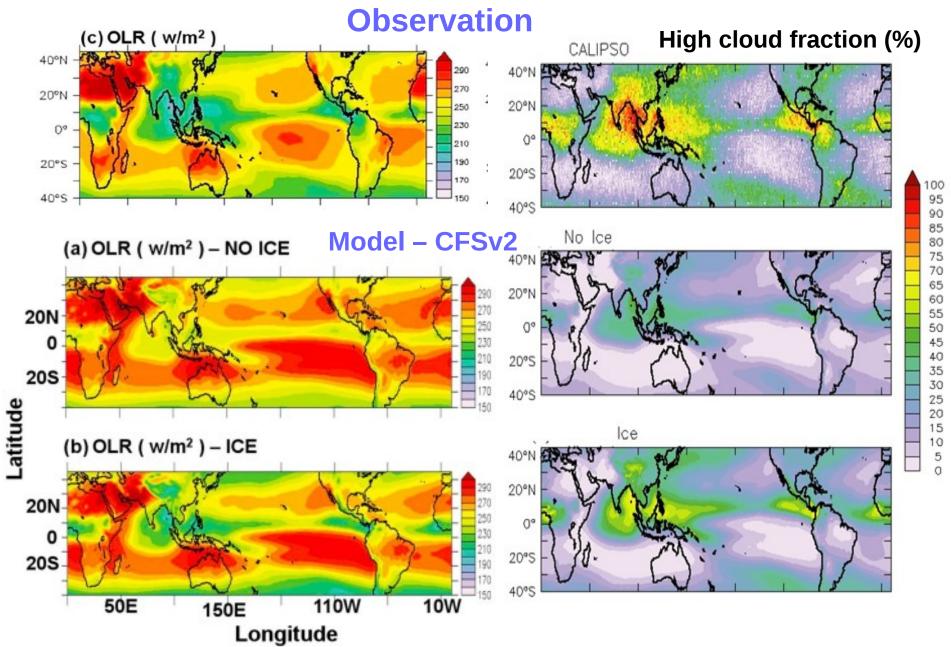
50°E

70°E

90°E

110°E

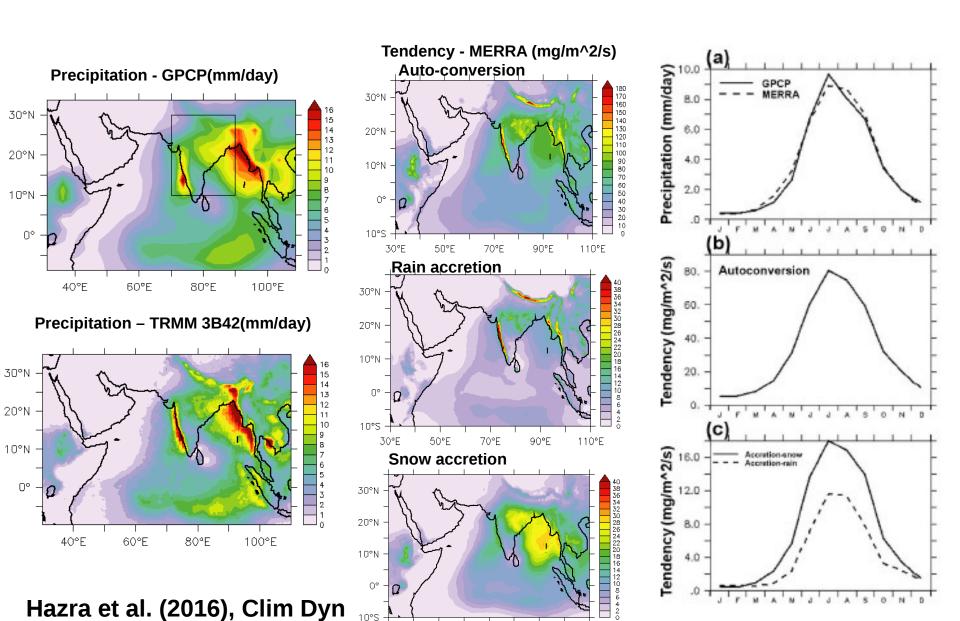
Basic understanding of warm and cold cloud microphysics in CGCM



Hazra et al, 2017, JGR

Which tendency equations in microphysical parameterization scheme should be targeted....

Role of Microphysical process rates (tendency terms) on ISM:

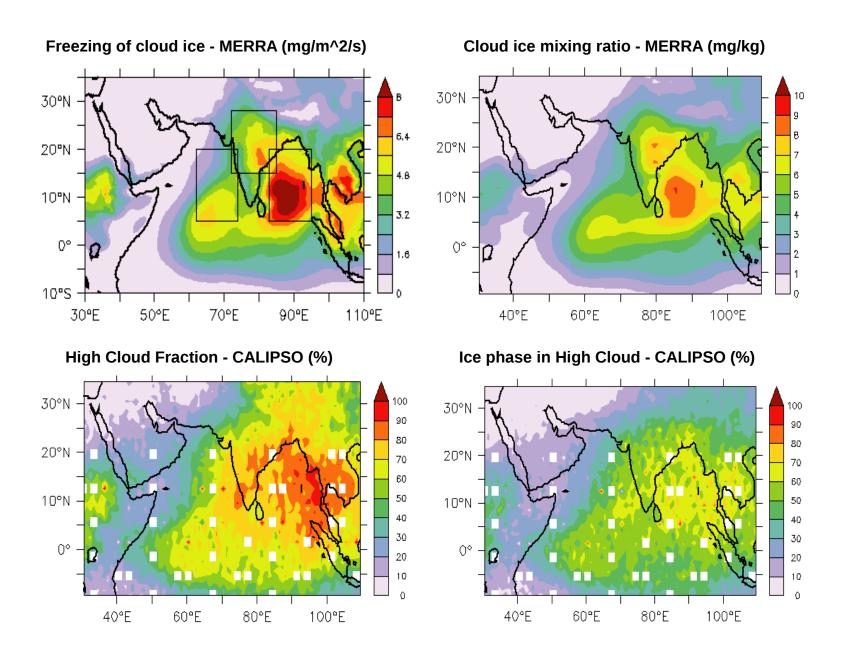


30°E

50°E

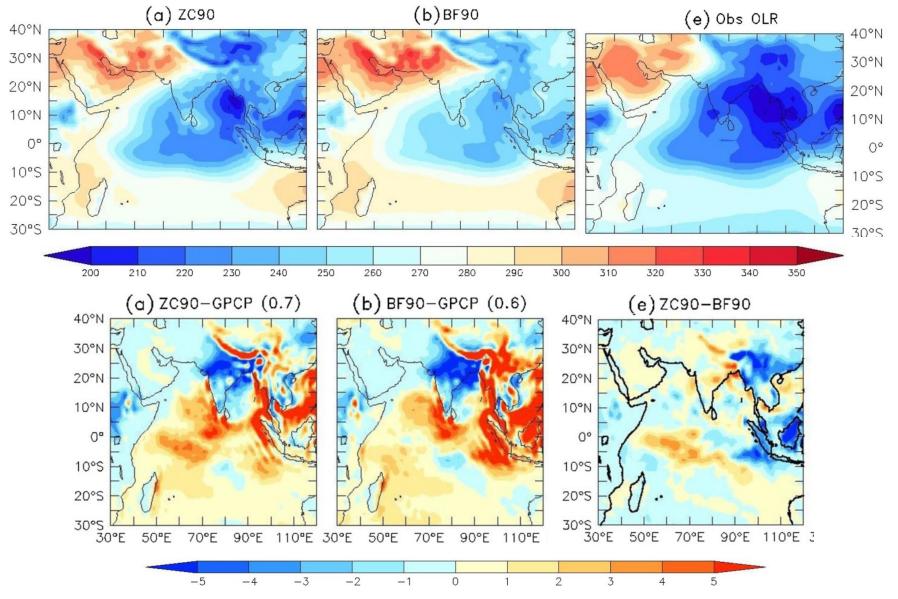
70°E

90°E



Hazra et al. (2016),Clim Dyn

Choice of microphysical scheme for the development of Climate Forecast System (CFSv2)



Strategy of model development on microphysical processes

- The improvement in the large-scale organized convection and total precipitation is possible by the increase of stratiform rain fraction in models [Deng et al., 2016; Aayamohan et al., 2016; Song and Yu 2004].
- Stratiform rain formation is intimately associated with the formation of cloud condensate, particularly the cloud ice and mixed-phase hydrometeors [Liu et al., 2007; Kumar et al., 2014; Field and Heymsfield 2015; Hazra et al., 2017].

Observational guidance

❖Guided by observations under the Cloud Aerosol Interaction and Precipitation Enhancement Experiment (CAIPEEX) [*Kulkarni et al.*, 2012; *Konwar et al.*, 2012; Prabha et al., 2011], a major modification to the existing cloud microphysics scheme in the CFSv2 is undertaken.

Microphysical Tendency

cloud rain

sc ac sc m*

Khain et al. 2015

droplet
self collection (sc)
rain + rain → rain
autoconversion (au)
droplet + droplet →
rain
accretion (ac)
droplet + rain → rain

self collection (sc)

droplet + droplet →

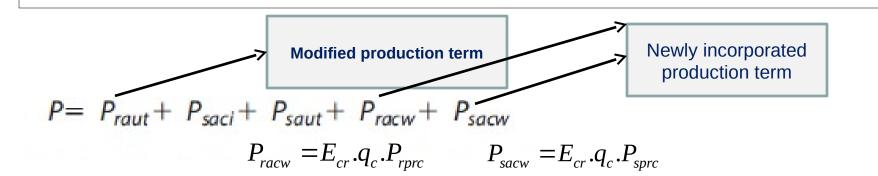
Microphysical Auto-conversion: cloud water to rain water auto-conversion Sundqvist et al., [1989]:

$$P_{raut} = C_0 q_l \left\{ 1 - exp \left(- \left(\frac{q_l}{bq_{lcrit}} \right)^2 \right) \right\}$$

 C_0 : auto-conversion coefficient, q_i : the clw and q_{lcrit} : critical clw. b: cloud cover . q_{lcrit} (*Rotstayn* 2000):

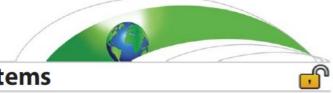
$$q_{lcrit} = \frac{4}{3}\pi r_{crit}^3 N_c \rho_l / \rho_a$$

Convective Auto-conversion: The precipitation formation from convective parameterization. autoconversion function need to be modified as vary based on resolution (Wu et al., 2010).



Results of ISM climate simulation using our physically based modified convective microphysics (MCM) scheme in CFSv2





Journal of Advances in Modeling Earth Systems

RESEARCH ARTICLE

10.1002/2017MS000966

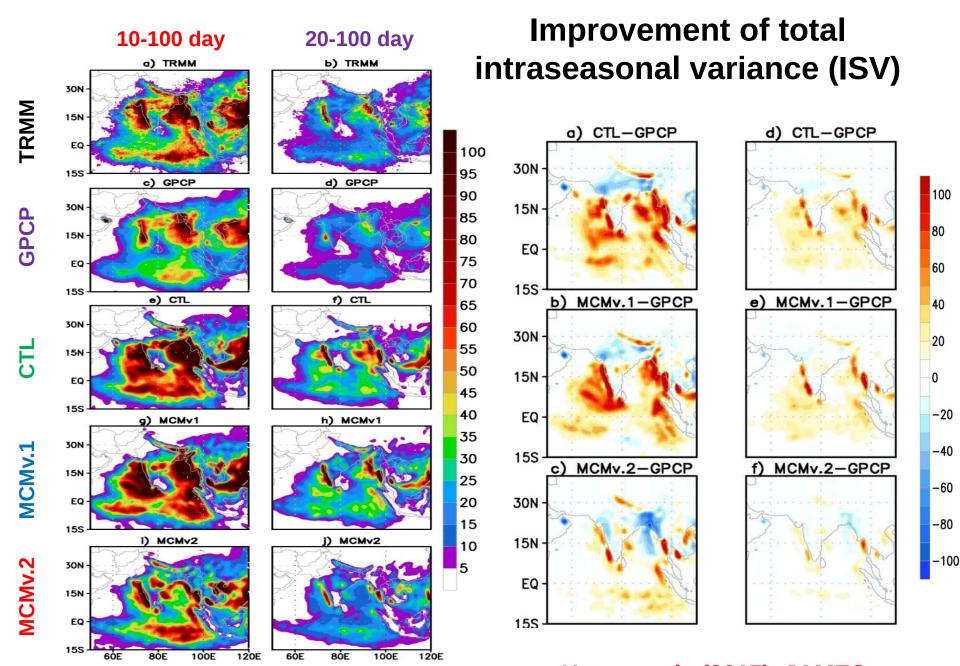
Key Points:

- A physically based modified convective microphysics scheme is implemented in the NCEP CFSv2
- The convective microphysics is found to be important for simulating the observed monsoon intraseasonal oscillations (MISOs)

Progress Towards Achieving the Challenge of Indian Summer Monsoon Climate Simulation in a Coupled Ocean-Atmosphere Model

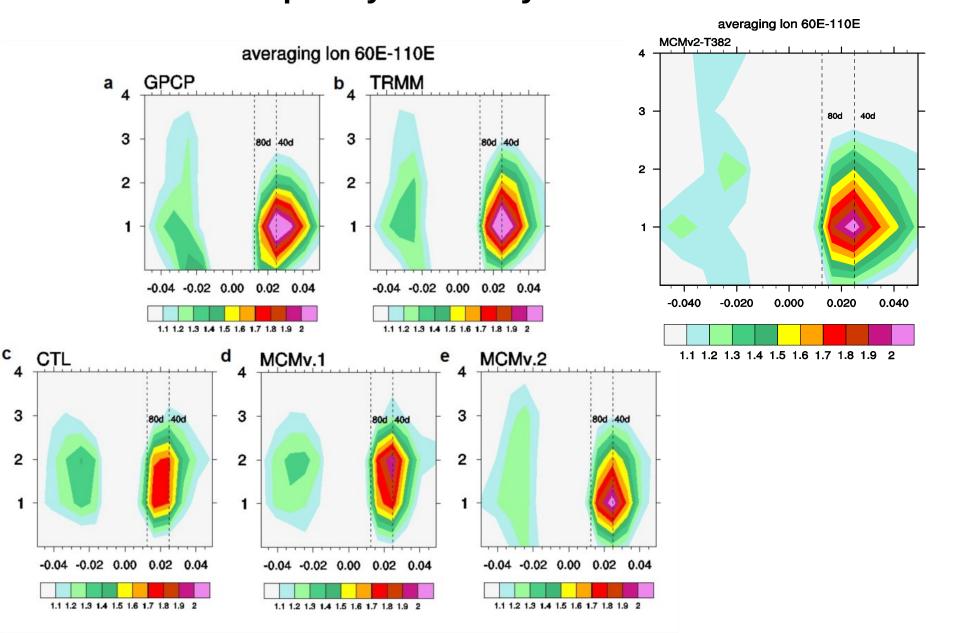
Anupam Hazra¹, Hemantkumar S. Chaudhari¹, Subodh Kumar Saha¹, Samir Pokhrel¹, and B. N. Goswami²

¹Indian Institute of Tropical Meteorology, Pashan, Pune, India, ²Cotton College State University, Guwahati, India

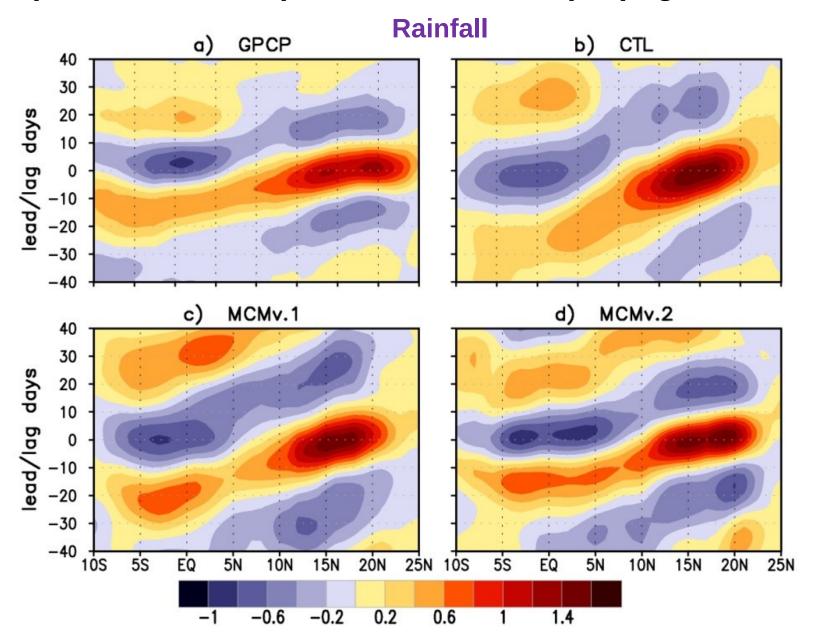


Hazra et al., (2017), JAMES

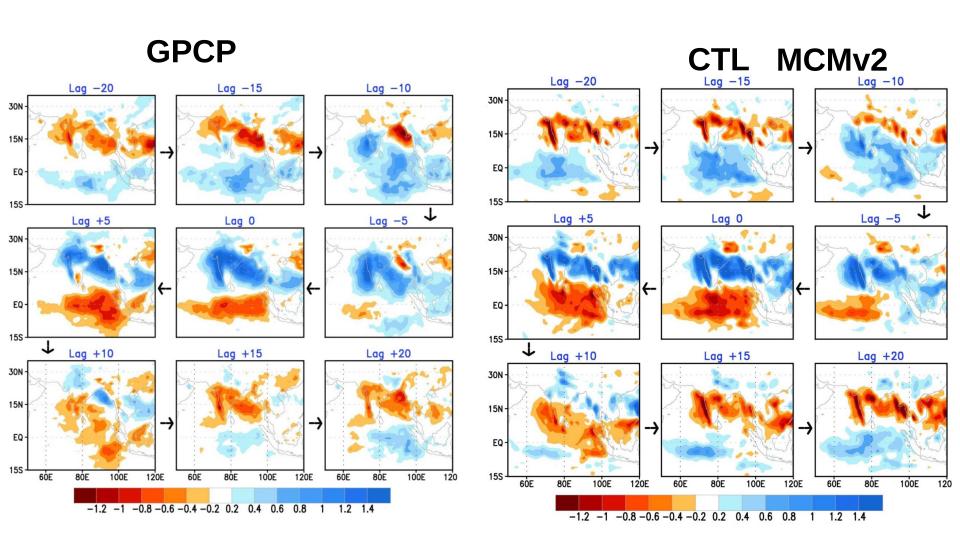
Improvement of Space-time spectra of the low frequency 30-60 day mode



Improvement the speed of northward propagation of ISOs

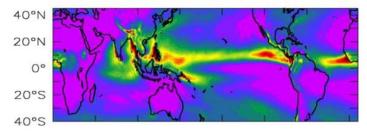


Improvement in space-time evolution and northward propagation of the south-east to north-west tilted ITCZ (in terms of phase and amplitudes)

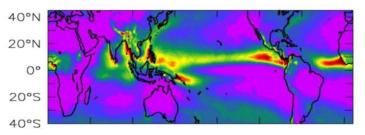


(a) GPCP: Mean = 2.91 mm/day 40°N 20°N 0° 20°S

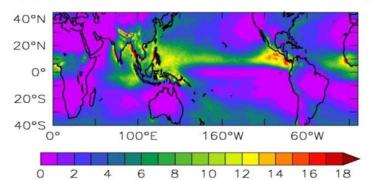
(b) CTL: Mean = 3.45 mm/day



(c) MCMv.1: Mean = 3.34 mm/day

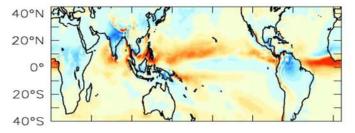


(d) MCMv.2: Mean = 3.18 mm/day

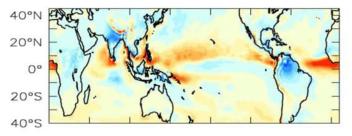


JJAS mean rainfall

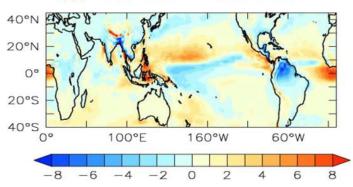
(e) CTL minus GPCP



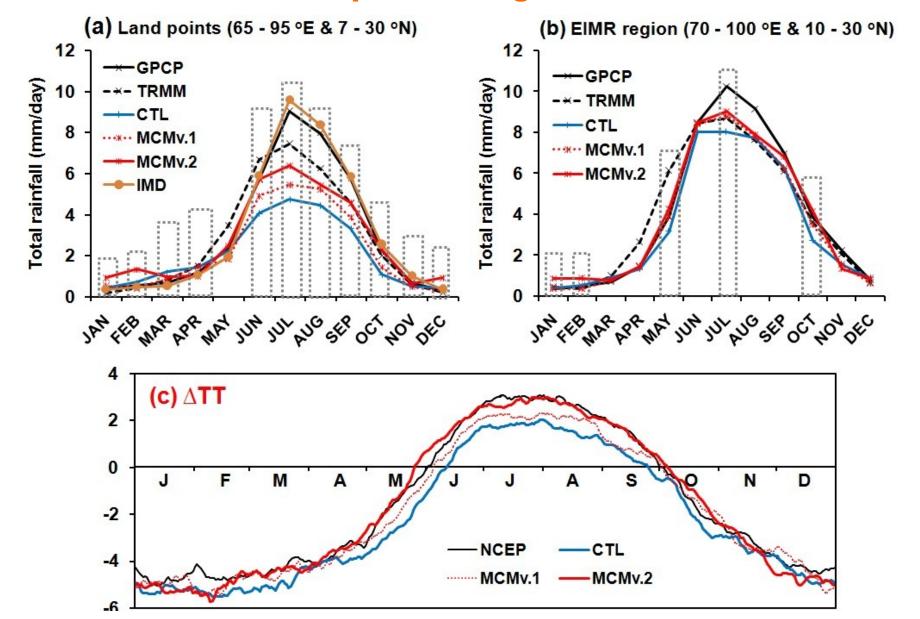
(f) MCMv.1 minus GPCP



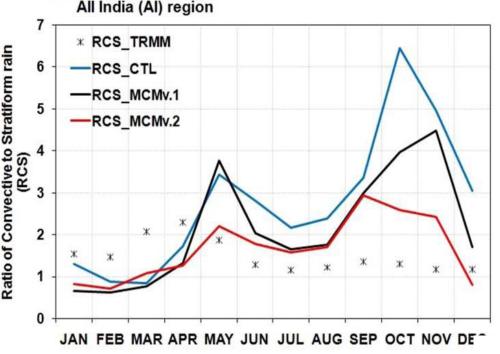
(g) MCMv.2 minus GPCP



Annual cycle of rainfall and Tropospheric Temperature gradient

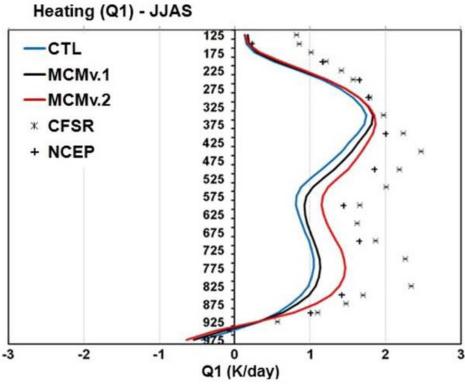


Hadley circulation High Cloud Fraction (%) (a) NCEP (a) CALIPSO 200 40°N 400 20°N 600 00 $x 10^{3}$ 800 20°S 1000 80 40°S (b) CTL: PC=0.61 RMSE=22.28 70 (b) CTL 200 60 40°N 50 100 400 20°N 95 40 90 600 30 85 80 800 20 20°S 75 10 70 40°S 1000 65 0 (c) MCMv.1 : PC=0.66 RMSE=22.14 60 MCMv.1 -1055 200 40°N 50 -2045 20°N -30400 40 35 -4000 600 30 -5025 20°S 800 20 -6015 40°S 1000 -7010 5 -80(d) MCMv.2 : PC=0.75 RMSE=18.67 (d) MCMv.2 0 40°N 200 20°N 400 00 600 20°S 800 40°S 1000 == 30°S 100°E 160°W 60°W 20°S 10°S 10°N 20°N 30°N



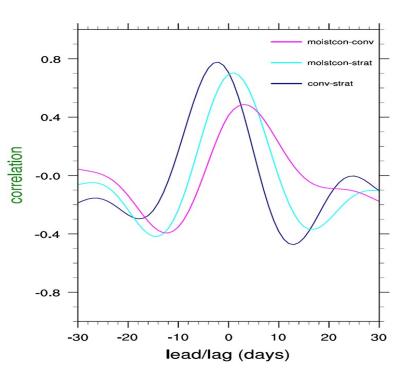
Ratio of convective to stratiform rain (RCS)

Calculation of apparent heat source (Q1)

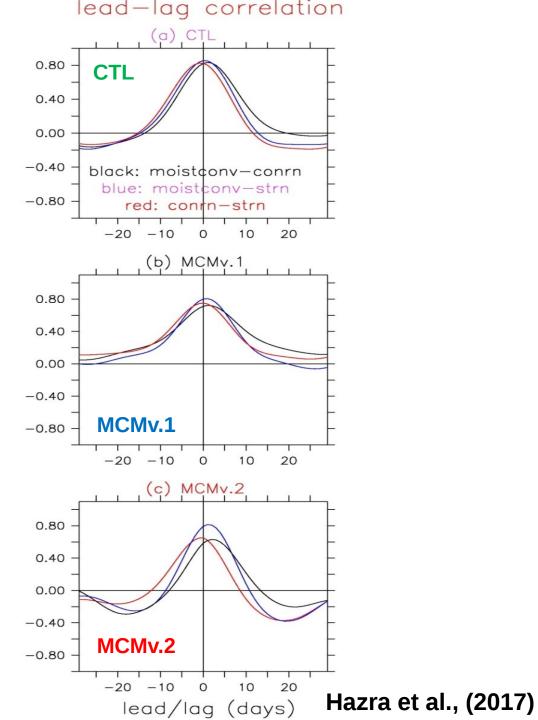


Observation

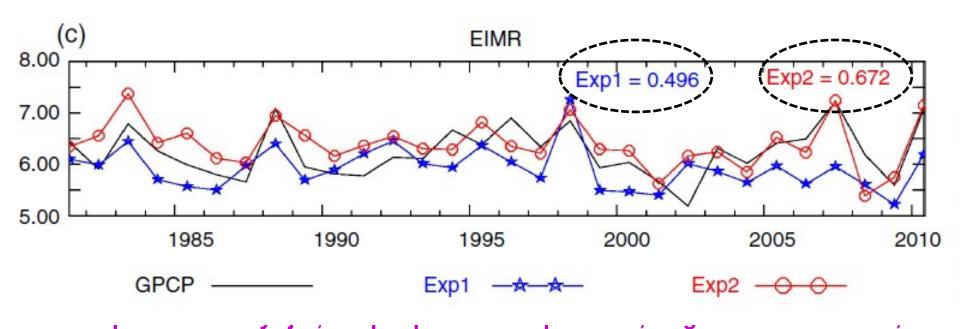
Lead-lag correlation between convective rain and stratiform



S. Kumar et al., (2017)



Conclusions



IAV of frainfall based indices using observation (solid line) and both Exp1 (line with star) and Exp2 (line with open circle) for (c) EIMR (65–95E, 5–35 N).

High fidelity in the simu(PORhref et la O2018) association with improved stratiform rain fraction leads to the improved seasonal mean ISMR.

This development may lead to improve ISMR skill.

Future

Need 2-moment microphysical parameterization to account aerosol effect in Global climate model.

Ice Nuclei

Classical nucleation theory based heterogeneous ice nucleation parameterization

(Chen-Hazra-Levin, 2008; Hoose-Kristjansson-Chen-Hazra 2010)



Cloud Condensation Nuclei

Interaction between aerosol (CCN), dynamics and cloud microphysics on transition of MISO

(Hazra-Goswami-Chen, 2013)

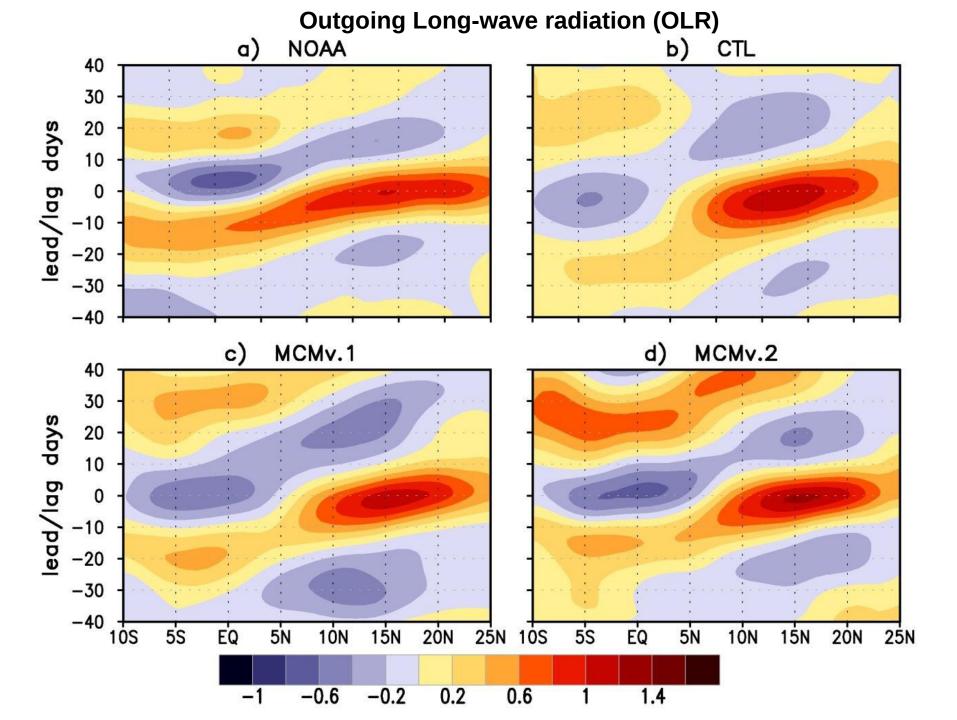




nk you for the kind attention

Questions ???

Backup



Cold-cloud microphysics or lce-phase microphysics

Nucleation

Empirical ice nucleation

$$N_i = a \cdot exp(b \cdot T_{sup})$$

$$N_i = [(S_i - 1)/(S_0 - 1)]^b$$

$$N_i = a.\exp(b.T_{sup}).[(S_i - 1)/(S_0 - 1)]^b$$

$$N_i = a(273.16 - T)^b (N_0)^{(c.(273.16-T)+d)}$$

Fletcher 1962

Huffman 1973

Cotton 1986; Mayers 1992

DeMott et al. 2010

Classical nucleation theory: Lee microphysics deposition nucleation & immersion freezing

The surface nucleation rate J_s describes the rate of formation \rightarrow it scales with time (s⁻¹) and particle surface area (m⁻²)!

$$J = 4 \pi r_N^2 J_s$$

$$= 4 \pi r_N^2 A_1 n^* Z$$

Where J_s is the surface nucleation rate with:

 A_{ij} = rate of collisions to overcome nucleation barrier

 n^* = number of critical clusters (per unit surface area)

Z = Zeldovich factor

$$\boxed{n^*} = n_1 \cdot \exp\left(-\frac{\Delta g_g}{kT}\right) \qquad \boxed{Z} = \frac{1}{n_g} \cdot \sqrt{\frac{\Delta g_g}{3\pi kT}} \qquad n_g = \frac{4r_g^3}{3v_w}$$

$$J = 4 \pi r_N^2 A_1 n_1 \cdot \exp\left(-\frac{\Delta g_g}{kT}\right) \frac{1}{\frac{4r_g^3}{3v_w}} \cdot \sqrt{\frac{\Delta g_g}{3\pi kT}}$$

This form of the classical nucleation theory is valid for both immersion freezing and deposition nucleation!

Chen-Hazra-Levin (2008), ACP; Hoose, Kristjansson, Chen, Hazra (2010), JAS

Classical nucleation theory: deposition nucleation & immersion freezing

$$J = 4 \pi r_N^2 A_1 n_1 \cdot \exp\left(-\frac{\Delta g_g}{kT}\right) \frac{1}{\frac{4r_0^2}{3v}} \cdot \sqrt{\frac{\Delta g_g}{3\pi kT}}$$

In this formula, the following parameters are specific to the mode of ice formation:

Deposition Nucleation

$$A_1 = 4\pi \frac{r_g^2}{\sqrt{2\pi m_w kT}}$$

$$r_g = \frac{2 v_w \sigma_{i/v}}{\Delta g_b} \Delta g_b = k T \ln S_i$$

$$\left(n_1 = \frac{e}{v_s \sqrt{2\pi m_w k T}} \cdot \exp\left(\frac{-\Delta g_d}{kT}\right)\right)$$

$$\Delta g_g = \Delta g_g^{\circ} f = \frac{4\pi}{3} \left(\frac{\sigma_{i/\nu}}{r_g^2} f \right)$$

$$= \frac{16\pi v_w^2 \left(\frac{\sigma_{i/\nu}^3}{3 \Delta g_h^2} \right)}{f}$$

Immersion Freezing

$$A_1 = \frac{kT}{h} \cdot \exp\left(\frac{-\Delta g_a}{kT}\right)$$

$$r_{g} = \frac{2 v_{w} \sigma_{i/w}}{\Delta g_{b}} \quad \Delta g_{b} = K T \ln \frac{e_{sw}}{e_{si}}$$

$$n_1 = 1.0 \cdot 10^{19} \,\mathrm{m}^{-2}$$

$$\Delta g_{g} = \Delta g_{g}^{\circ} \cdot f = \frac{4\pi}{3} \left(\sigma_{i/w} r_{g}^{2} f \right)$$

$$= \frac{16\pi v_{w}^{2} \sigma_{i/w}^{3}}{3 \wedge g_{z}^{2}} \cdot f$$

Classical nucleation theory: deposition nucleation & immersion freezing

Deposition Nucleation

Immersion Freezing

$$\Delta g_{g} = \Delta g_{g}^{\circ} \cdot f = \frac{4\pi}{3} \cdot \sigma_{i/\nu} \cdot r_{g}^{2} \cdot f$$
$$= \frac{16\pi v_{w}^{2} \sigma_{i/\nu}^{3}}{3\Delta g_{h}^{2}} \cdot f$$

$$\Delta g_{g} = \Delta g_{g}^{\circ} \cdot f = \frac{4\pi}{3} \cdot \sigma_{i/w} \cdot r_{g}^{2} \cdot f$$
$$= \frac{16\pi v_{w}^{2} \sigma_{i/w}^{3}}{3\Delta g_{h}^{2}} \cdot f$$

The Gibbs free energy of ice germ formation Δg_g is similar to the one for homogeneous nucleation Δg_g° except for the compatibility parameter f. For <u>flat surfaces</u>, the compatibility parameter f is

$$f(m) = \frac{(2+m)(1-m)^2}{4} \quad \text{with} \quad m = \cos \theta$$

The <u>contact angle θ is</u> different for the two nucleation modes and describes how the <u>particle properties (chemistry)</u> influence heterogeneous nucleation:

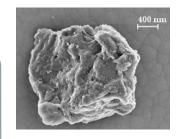
$$\cos \theta_{dep} = \frac{\sigma_{airtN} - \sigma_{icetN}}{\sigma_{airtice}} \qquad \qquad \cos \theta_{imm} = \frac{\sigma_{watertN} - \sigma_{icetN}}{\sigma_{watertice}}$$

Nucleation thermodynamic parameters determined from laboratory data

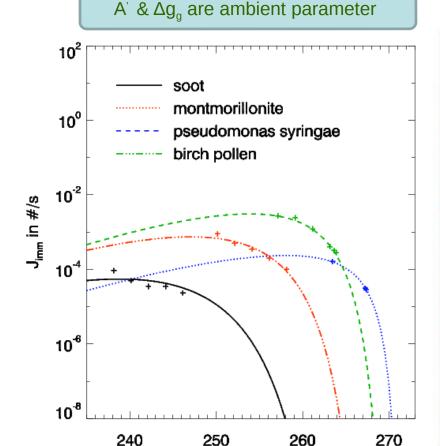
$$J = A' \cdot r_N^2 \cdot \sqrt{f} \cdot \exp\left(\frac{-\Delta g^{\#} - \Delta g_g \cdot f}{kT}\right)$$

Properties of IN:

- 1. Particle radius
- 2. Activation energy
- . Wetting coefficient or contact angle

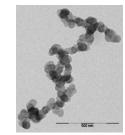


Montmorillonite (Welti et al , 2009)



T in K

parameter	θ	$\Delta g^{\#}$
soot	33.2	13.8
E. herbicola	16.0	12.7
P. syringae	12.5	12.8
P. aeruginosa	5.30	12.2
Grass	18.4	15.5
Oak	20.6	15.1
Pine	17.8	13.2
Birch	18.8	15.0
Eucalyptus	18.4	15.7
China rose	20.3	15.8
Hematite (0.03)	69.4	9.90
Hematite (0.13)	63.4	14.3
Asian dust	15.2	1.17
Saharan dust	14.7	1.31
Arizona test dust	7.85	2.32



Soot (M. Jargelius)



Pseudomonas aeruginosa (J. H. Carr)



Birch pollen (J. Derksen)

Chen-Hazra-Levin (2008), ACP; Hoose, Kristjan

Hoose, Kristjansson, Chen, Hazra (2010), JAS